

Event Structure at RHIC from p-p to Au-Au

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Agenda

- p-p *minbias* minijets probe A-A bulk medium
- $\langle p_t \rangle$ fluctuations: minijets as velocity structures
- Minijet *deformation* on (η, ϕ) : parton-medium coupling
- Minijet dissipation: two-particle fragmentation function
- Net-charge correlations: 2D hadronization geometry

A summary of results from the
STAR Event Structure Working Group

p-p 1D Two-component Model

per-event p_t distribution

factorization hypothesis

soft

hard

$$1/p_t dN/dp_t(p_t, n_{ch}) = n_s(n_{ch}) S_0(p_t) + n_h(n_{ch}) H_0(p_t)$$

integrates to n_{ch}

each integrates to 1

five-parameter model

$$n_{ch} = n_s(n_{ch}) + n_h(n_{ch})$$

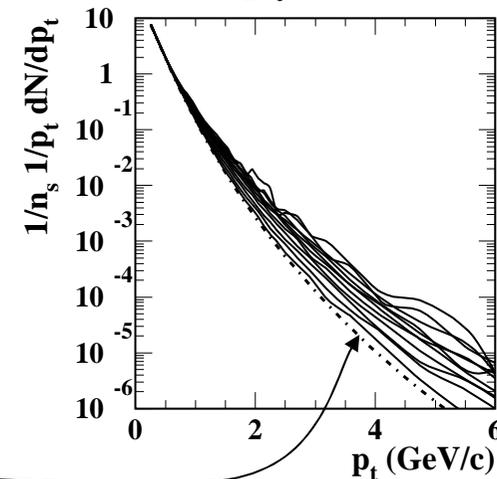
linearity assumption:

$$n_h(n_{ch})/n_{ch} = \alpha(n_{ch} - n_0)$$

normalized p_t distribution

$$1/n_s(n_{ch}) \cdot 1/p_t dN/dp_t(p_t, n_{ch}) = S_0(p_t) + n_h(n_{ch})/n_s(n_{ch}) \cdot H_0(p_t)$$

normalized p_t distributions

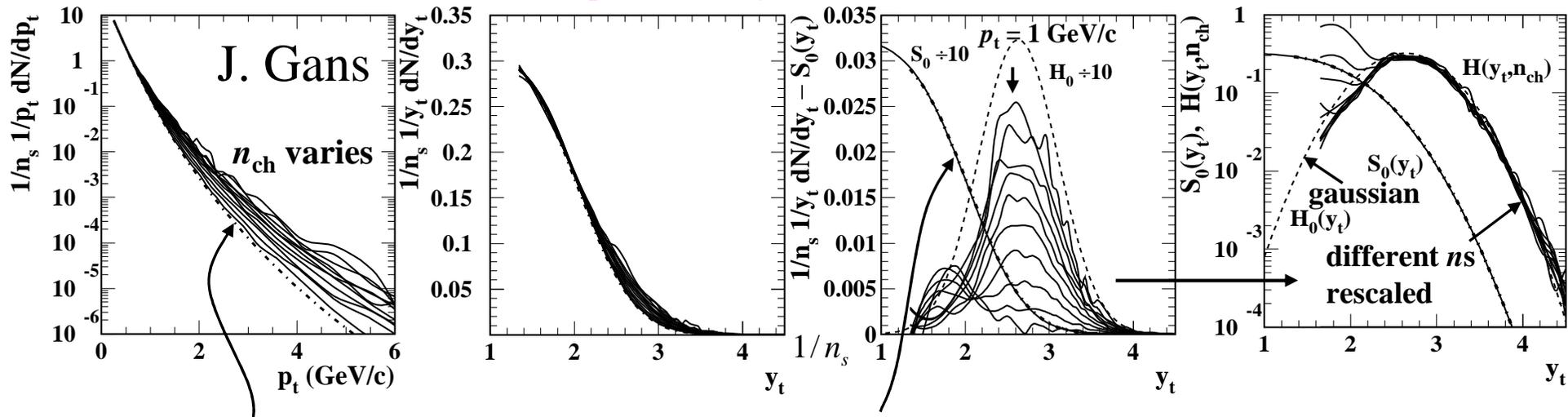


p-p 1D Differential Analysis

full p_t distributions

STAR preliminary

total – soft = hard (minijets)



Soft reference S_0 : Lévy on $m_t \rightarrow$ error function on y_t !

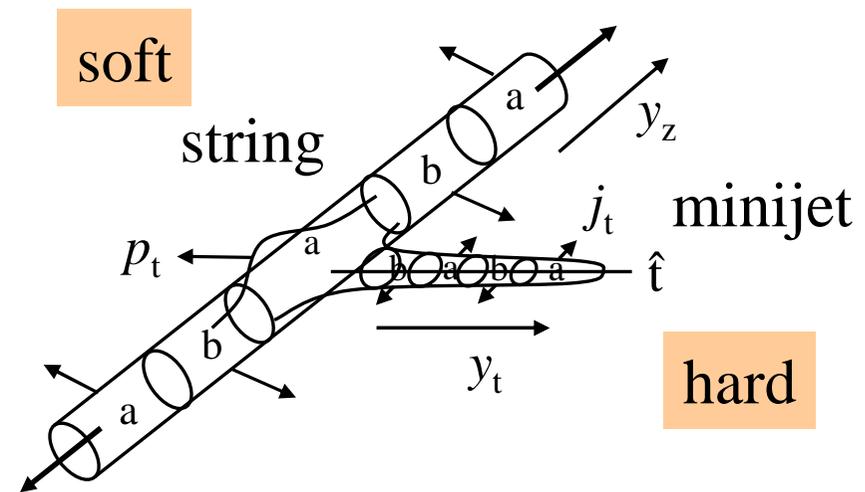
Lévy S_0 :

$$1/m_t dN/dm_t \equiv A/\{1 + \beta_0(m_t - m_0)/n\}^n$$

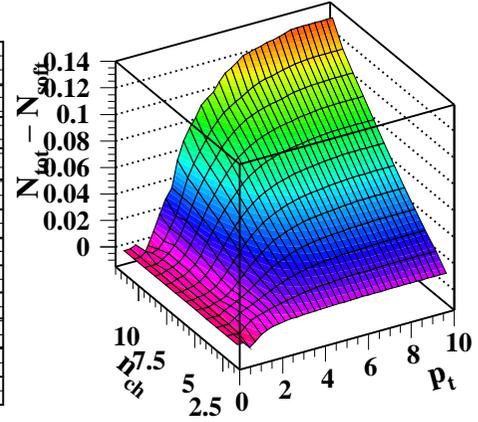
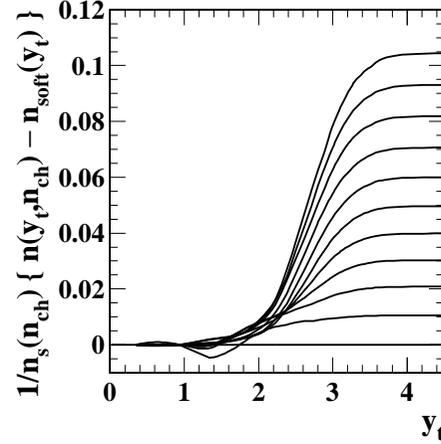
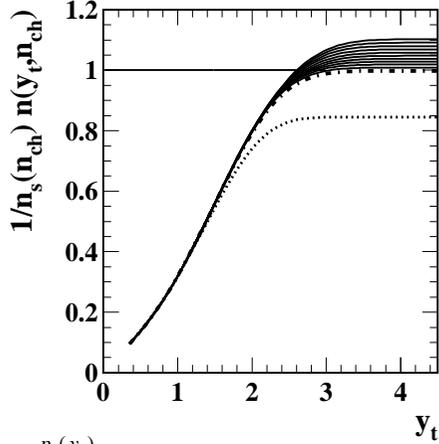
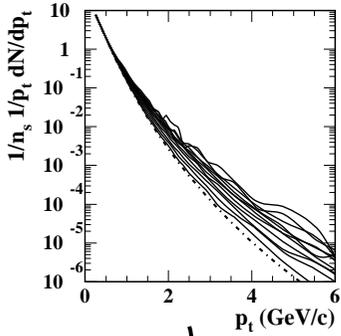
$$y_t \equiv \ln \left\{ \sqrt{1 + (p_t/m_0)^2} + p_t/m_0 \right\}$$

$$p_t/m_0 \equiv \gamma \beta_t$$

Trainor



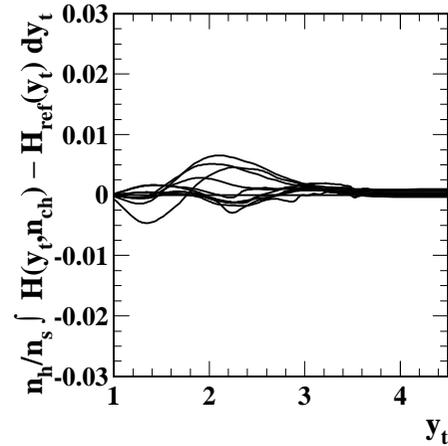
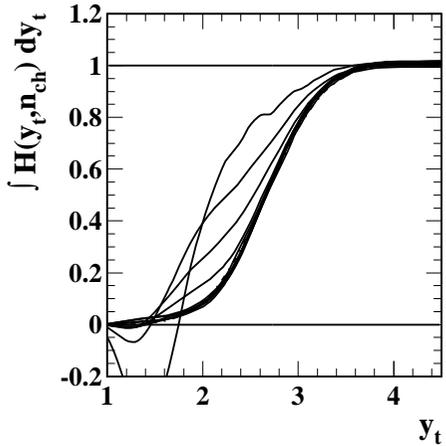
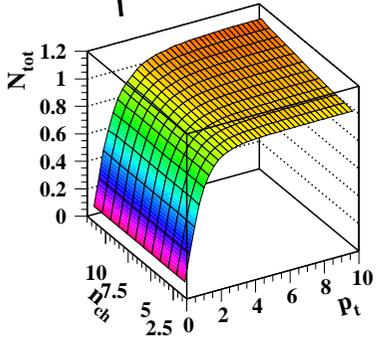
p-p 1D Direct Integration



$$\begin{aligned} 1/n_s n(y_t, n_{ch}) &= 1/n_s \int_0^{p_t(y_t)} dp'_t p'_t \cdot \underbrace{1/p_t dN/dp_t(p'_t, n_{ch})}_{\text{Trainor}} \\ &= \int_0^{y_t} dy'_t y'_t \cdot \{S_0(y'_t) + n_h/n_s H(y'_t, n_{ch})\} \end{aligned}$$

$$1/n_s \{n(y_t, n_{ch}) - n_0(y_t)\} = n_h/n_s \int_0^{y_t} dy'_t y'_t H(y'_t, n_{ch})$$

STAR preliminary

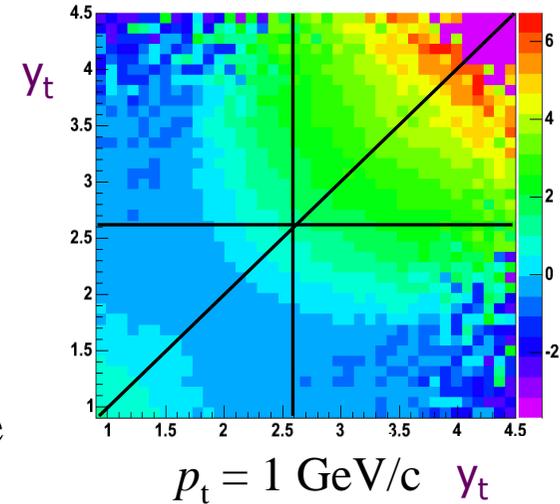
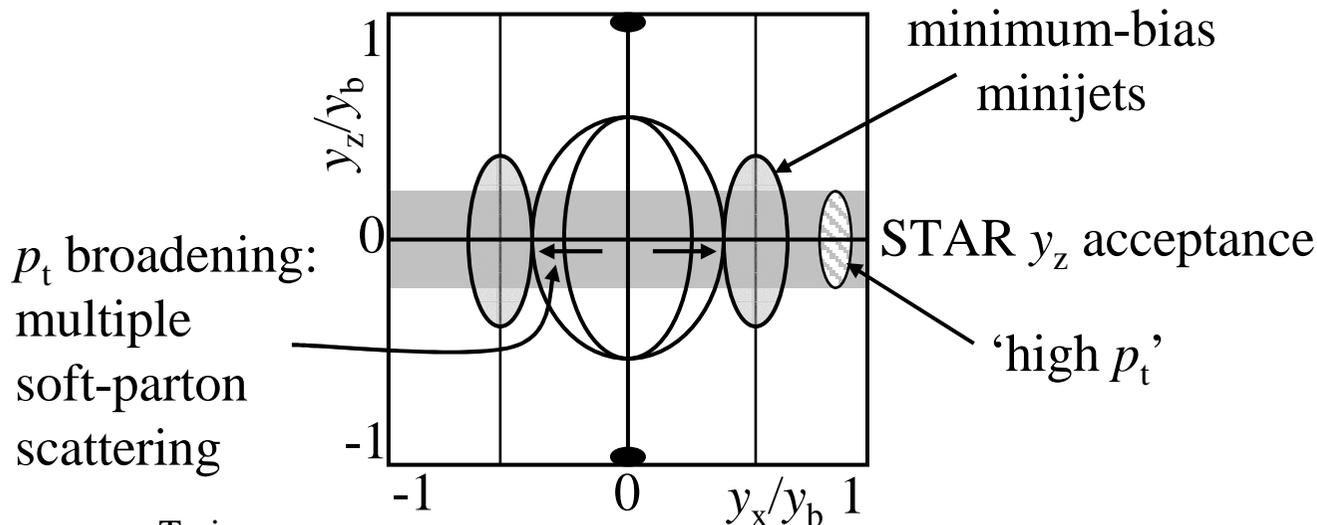
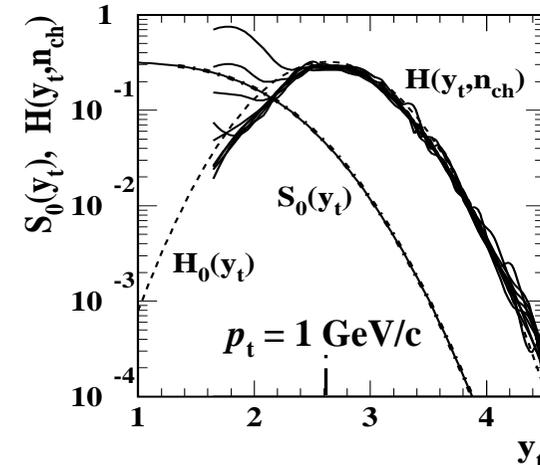
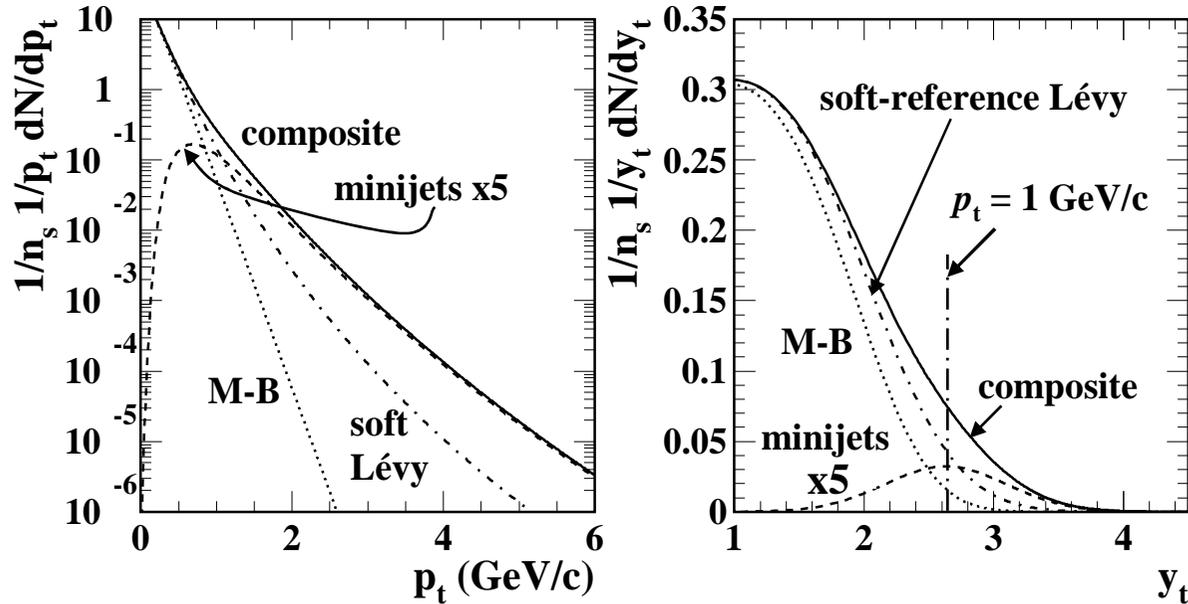


third component
< 1% of S_0

$$1/n_h \{n(y_t, n_{ch}) - n_0(y_t)\} = \int_0^{y_t} dy'_t y'_t H(y'_t, n_{ch}) \approx \int_0^{y_t} dy'_t y'_t H_o(y'_t) \quad \int_0^{y_t} dy'_t y'_t \{S(y'_t, n_{ch}) - S_0(y'_t)\} = n_h/n_s \int_0^{y_t} dy'_t y'_t \{H(y'_t, n_{ch}) - H_0(y'_t)\}$$

Minijet Fragments on p_t , y_t and $y_t \otimes y_t$

decomposing the p-p p_t distribution

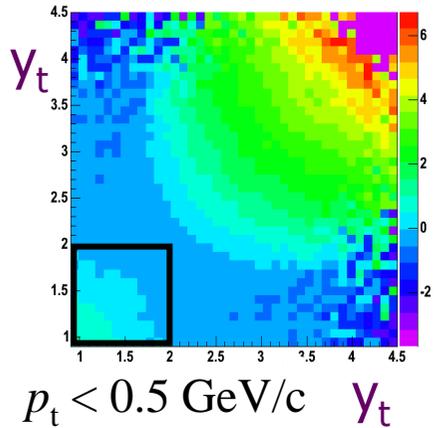


fragment correlations

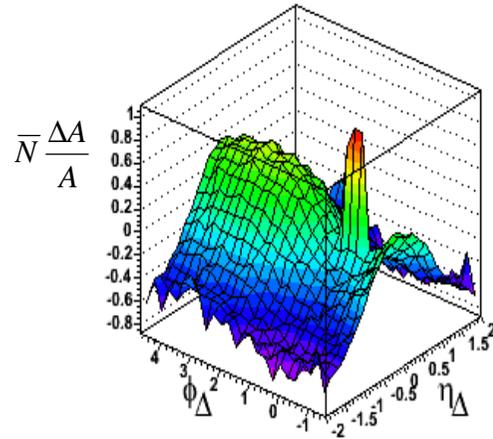
R. J. Porter

p-p Soft-sector n_{ch} Dependence

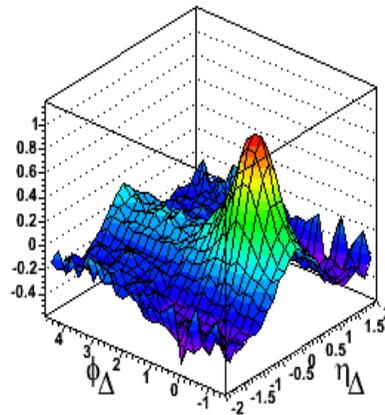
two-particle correlations



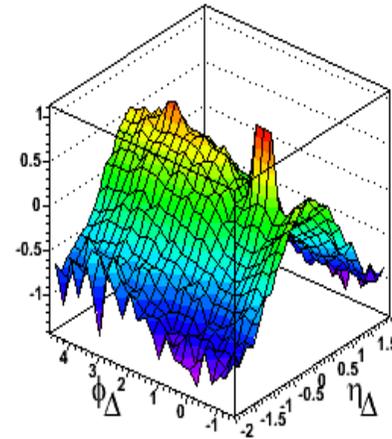
accept only
low- p_t particles



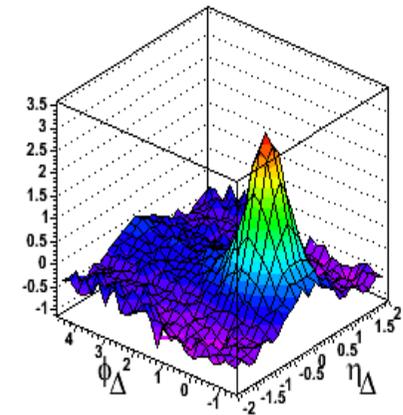
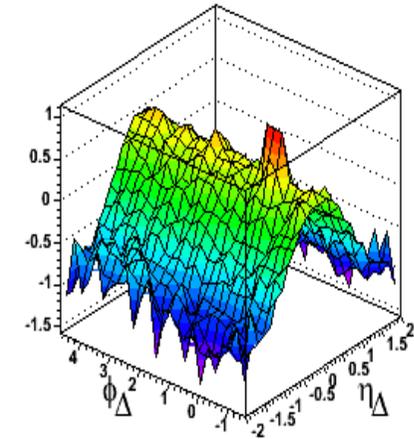
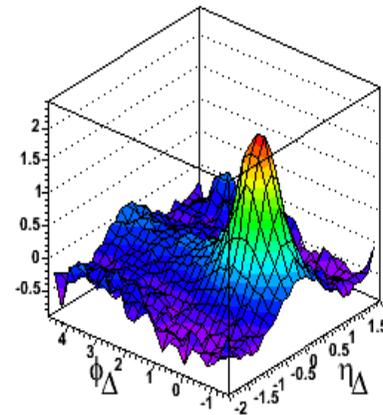
STAR preliminary



unlike-sign pairs



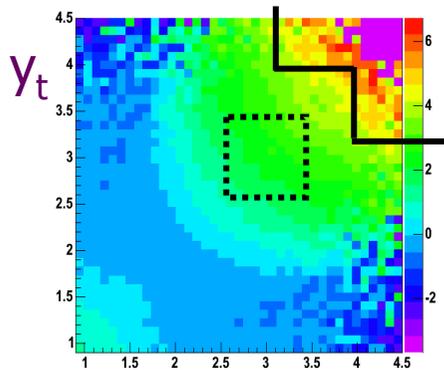
like-sign pairs



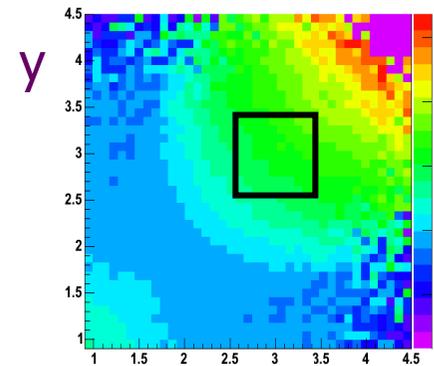
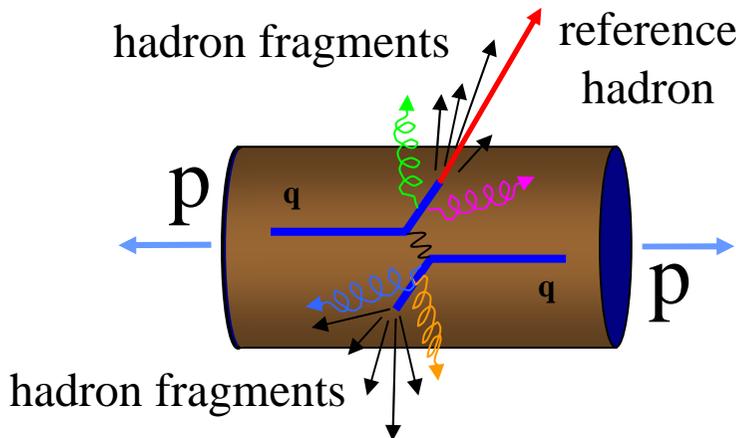
increasing N_{ch} →

R. J. Porter

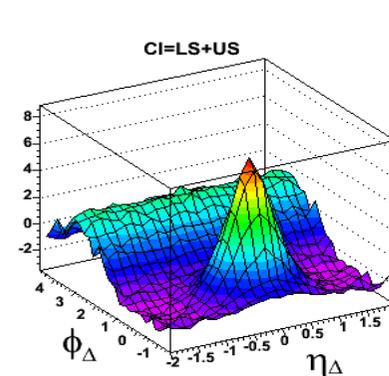
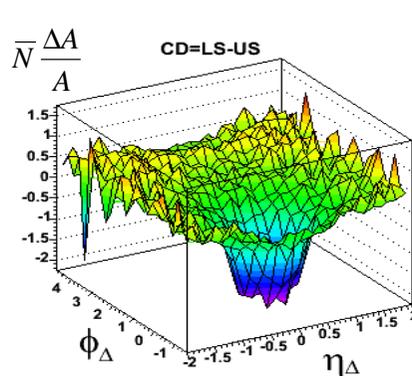
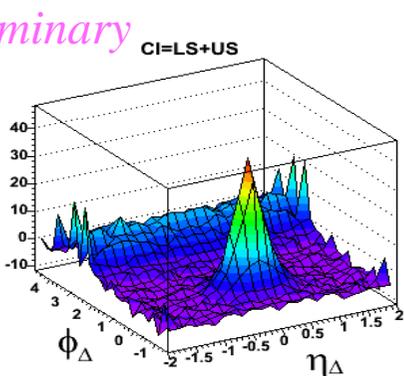
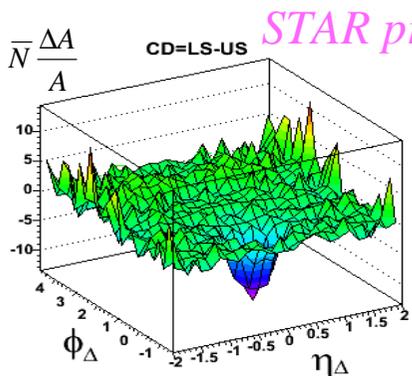
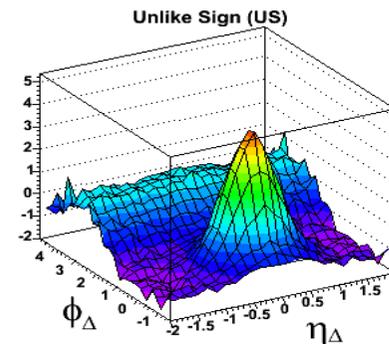
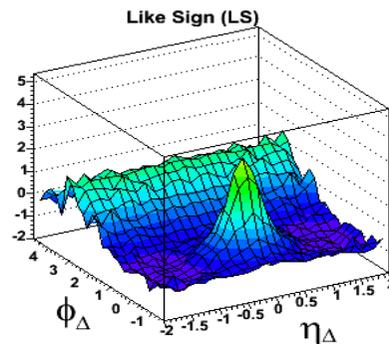
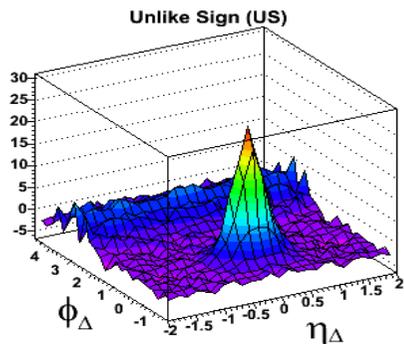
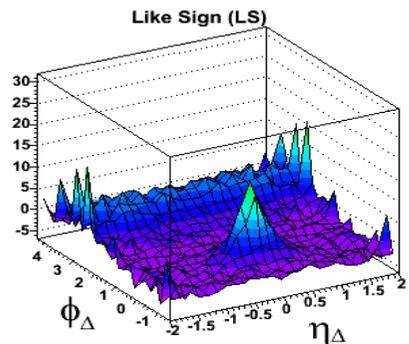
p-p Minijet Fragments



Y_t
accept only
high- p_t particles



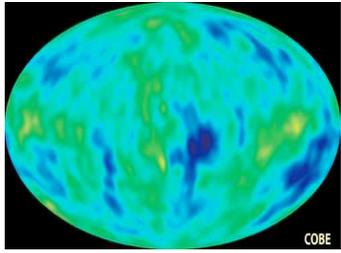
$p_t \in 1-2 \text{ GeV}/c$
accept only
medium- p_t particles



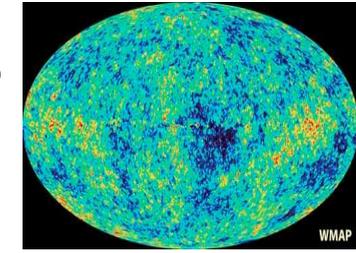
STAR preliminary

Trainor

COBE



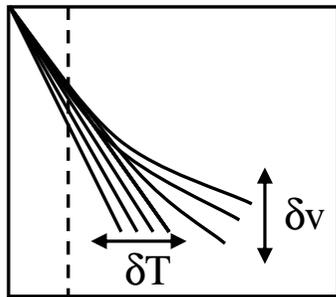
WMAP



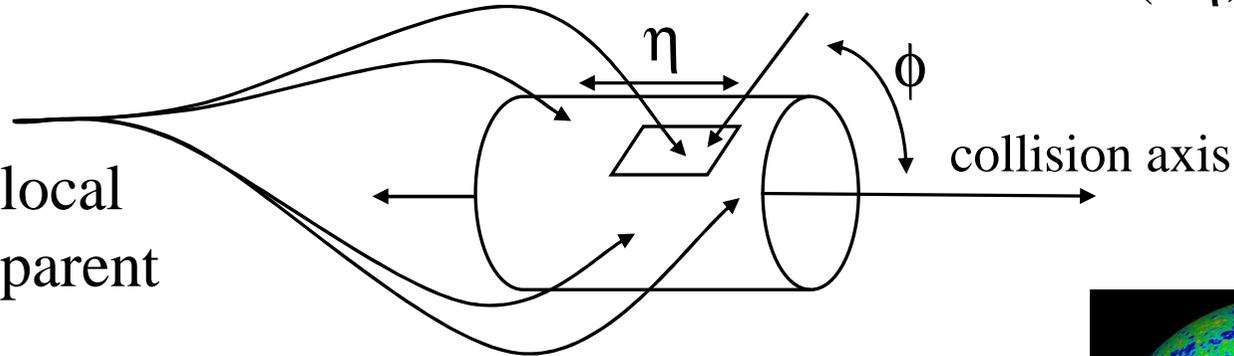
Au-Au $\langle p_t \rangle$ Fluctuations

minijets in Au-Au collisions

scale: bin size ($\delta\eta, \delta\phi$)



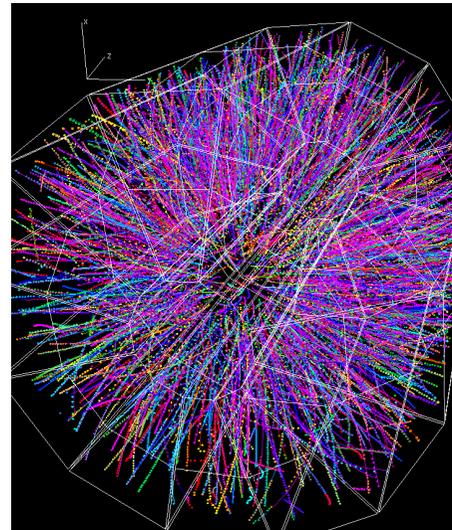
local parent



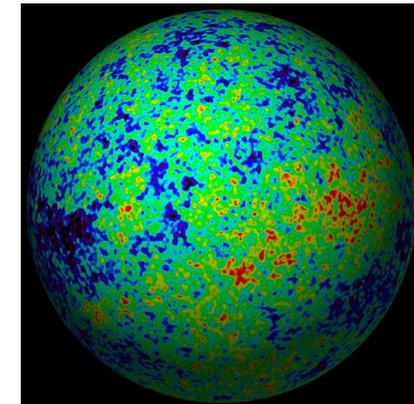
$\langle p_t \rangle$ p_t
bin-wise fluctuation

hadron p_t is drawn from *local parent*

- 1) local temperature variation δT
- 2) local velocity variation δv

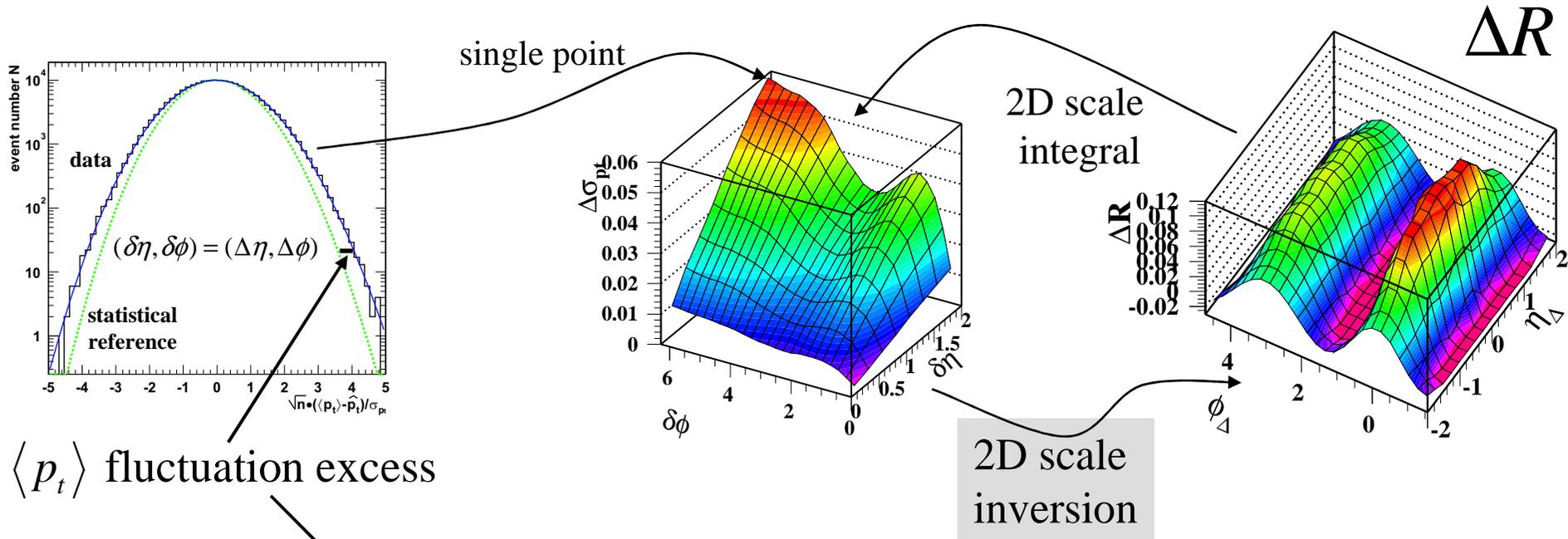


one Au-Au event



one bang

Fluctuations and Autocorrelations



$\langle p_t \rangle$ fluctuation excess

measure variance difference: $\Delta\sigma_{p_t:n}^2 \equiv (p_k(\delta x) - n_k(\delta x)\hat{p})^2 / n_k - \sigma_{\hat{p}_t}^2$

$$\Delta\sigma_{p_t:n}^2(m\varepsilon_\eta, n\varepsilon_\phi) = 4\hat{p}^2 \sum_{k=1}^m \varepsilon_\eta \sum_{l=1}^n \varepsilon_\phi \left(1 - \frac{k-1/2}{m}\right) \left(1 - \frac{l-1/2}{n}\right) \left\{ \overbrace{\frac{d^2\bar{n}}{d\eta_\Delta d\phi_\Delta} \frac{\Delta A}{A_{kl}} (\varepsilon_\eta, \varepsilon_\phi)}^{\Delta R} \right\}$$

integral equation: invert variance difference to get ΔR

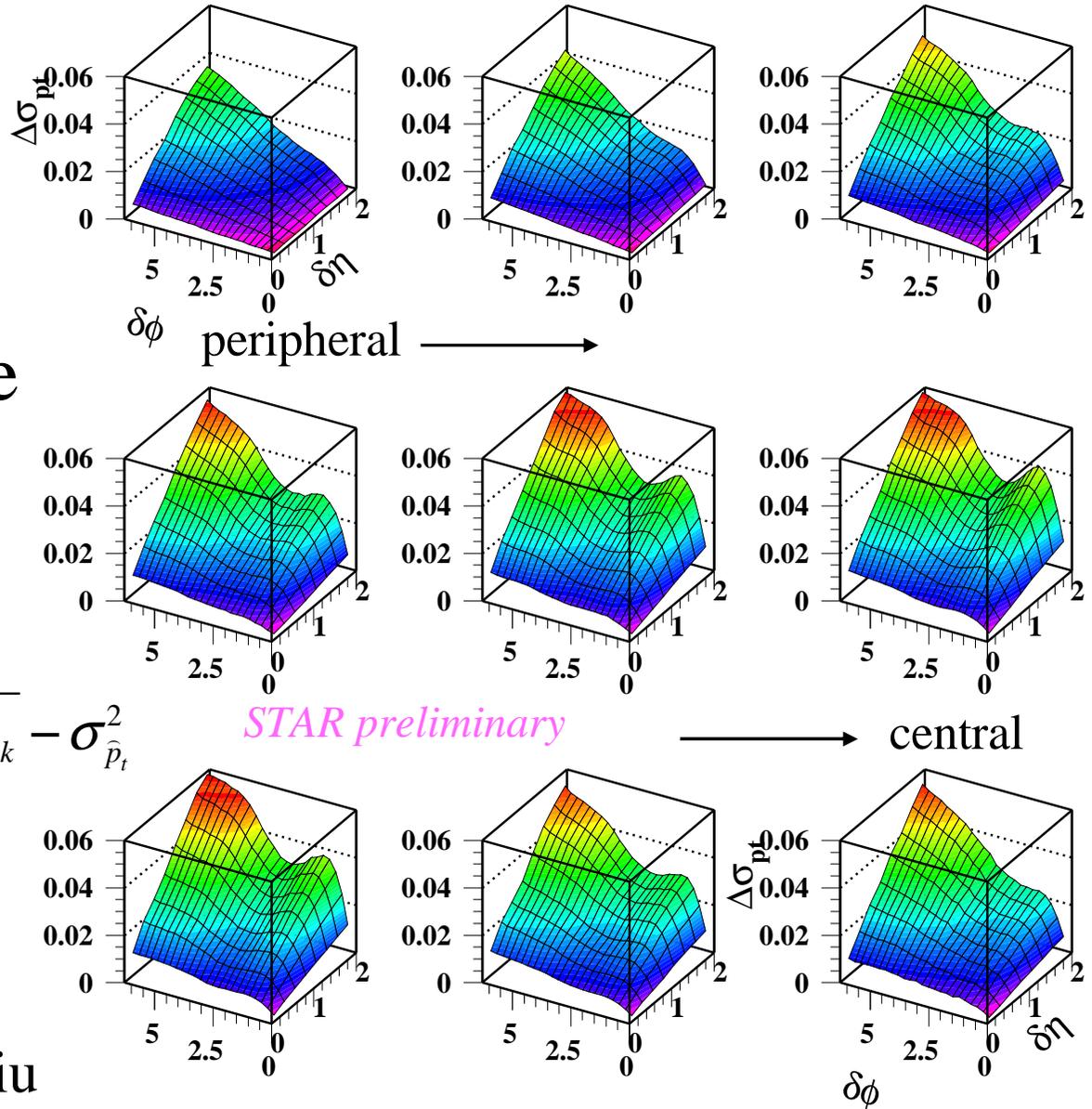
$\langle p_t \rangle$ Fluctuation Scaling

200 GeV Au-Au
centrality dependence

variance difference

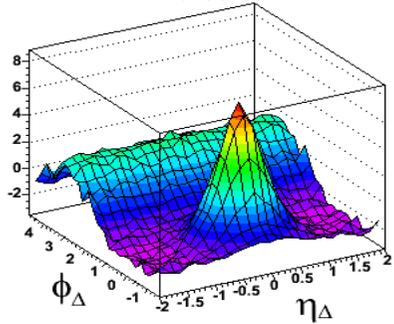
$$\Delta\sigma_{p_t;n}^2 \equiv (p_k(\delta x) - n_k(\delta x)\hat{p})^2 / n_k - \sigma_{\hat{p}_t}^2$$

$$\equiv 2\sigma_{\hat{p}_t} \Delta\sigma_{p_t;n}$$



Q. J. Liu

p-p minijets



number autocorrelation

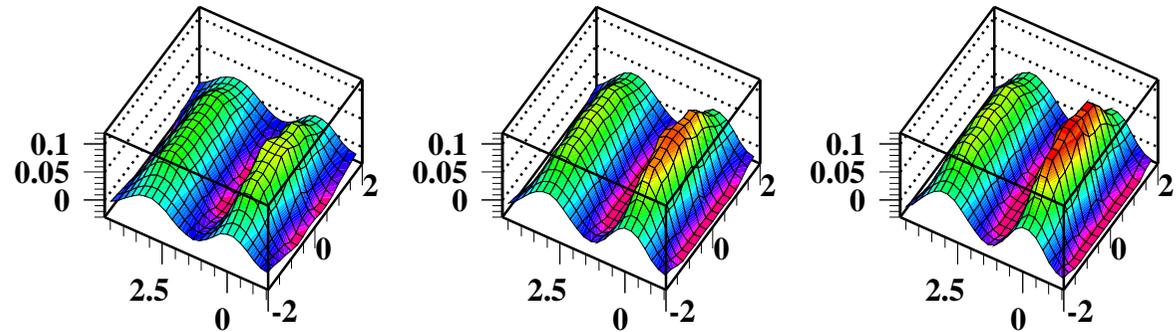
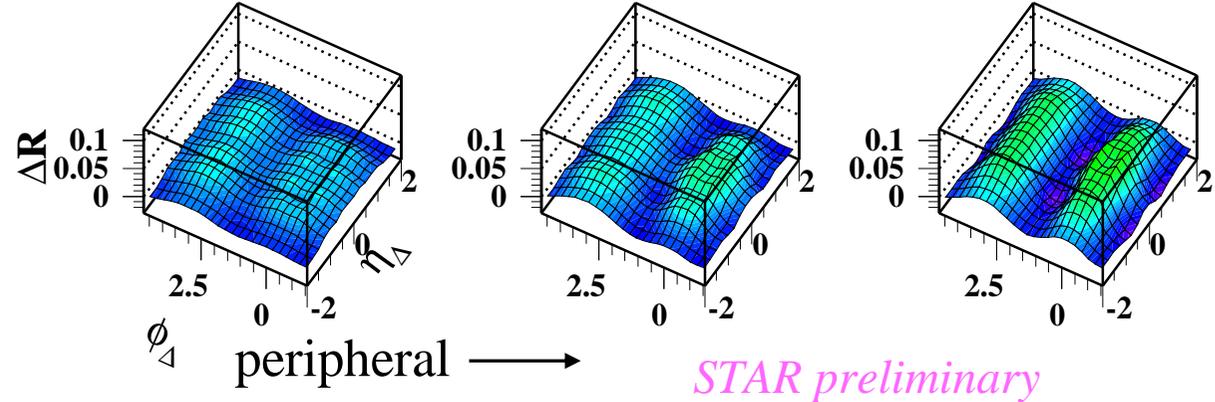
$p_t \in 1-2 \text{ GeV}/c$

inversion of
integral equation

$$\Delta R = \left\{ \frac{d^2 \bar{n}}{d\eta d\phi} \frac{\Delta A}{A} (\eta_\Delta, \phi_\Delta) \right\}$$

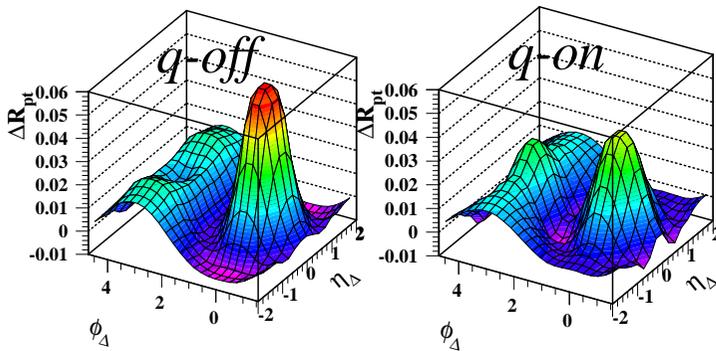
p_t Autocorrelations

D. J. Prindle



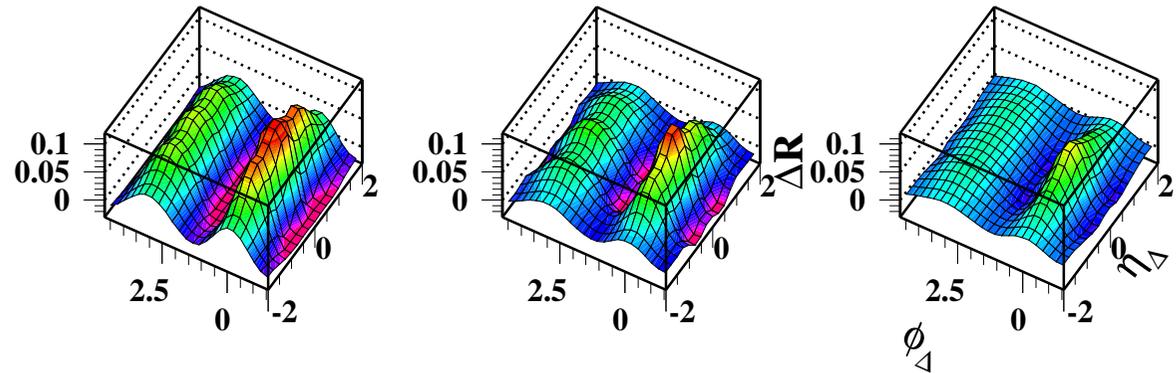
Au-Au minijets

→ central



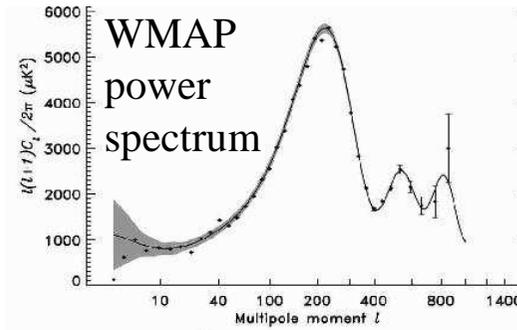
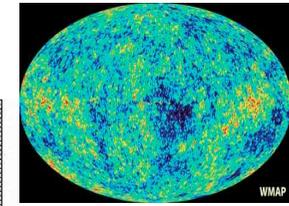
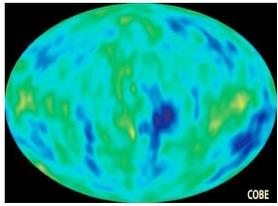
Hijing central 5%

Trainor

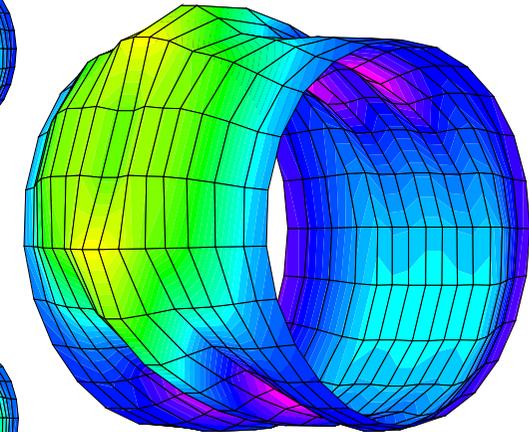
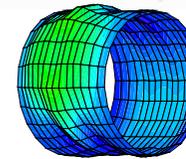
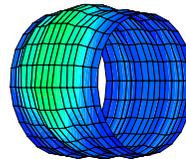
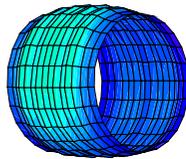
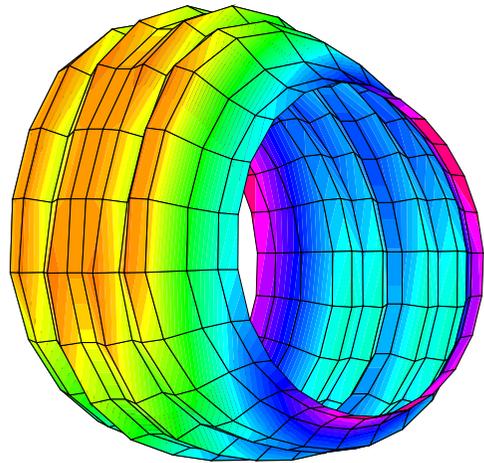


Minijets and Centrality

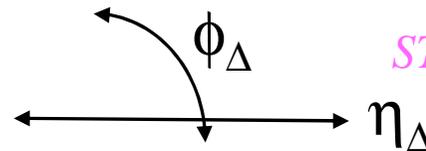
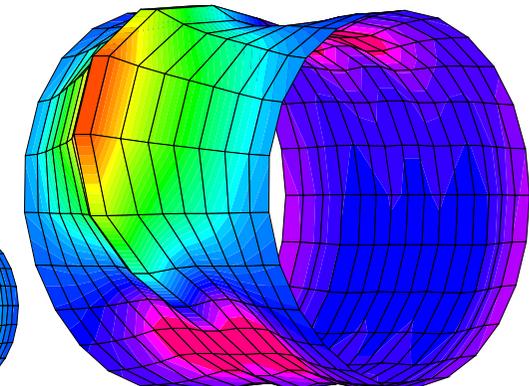
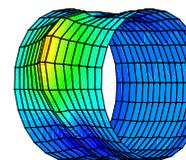
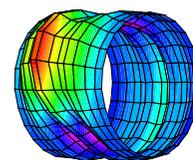
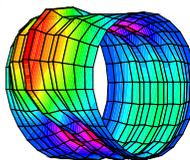
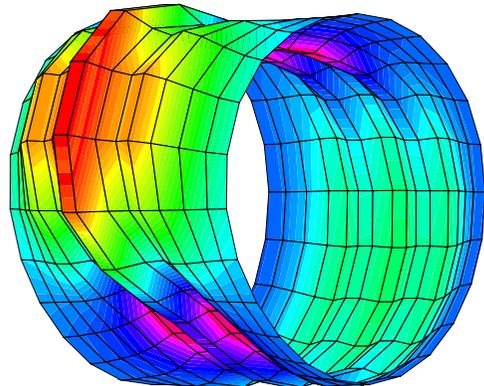
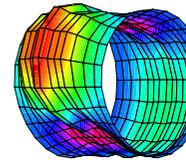
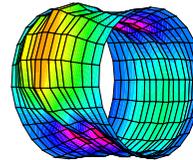
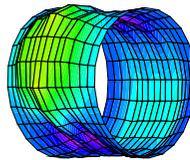
200 GeV Au-Au



peripheral →



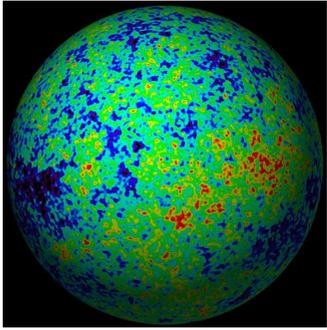
minijets and dissipation



STAR preliminary

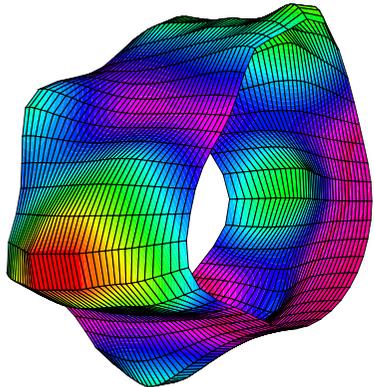
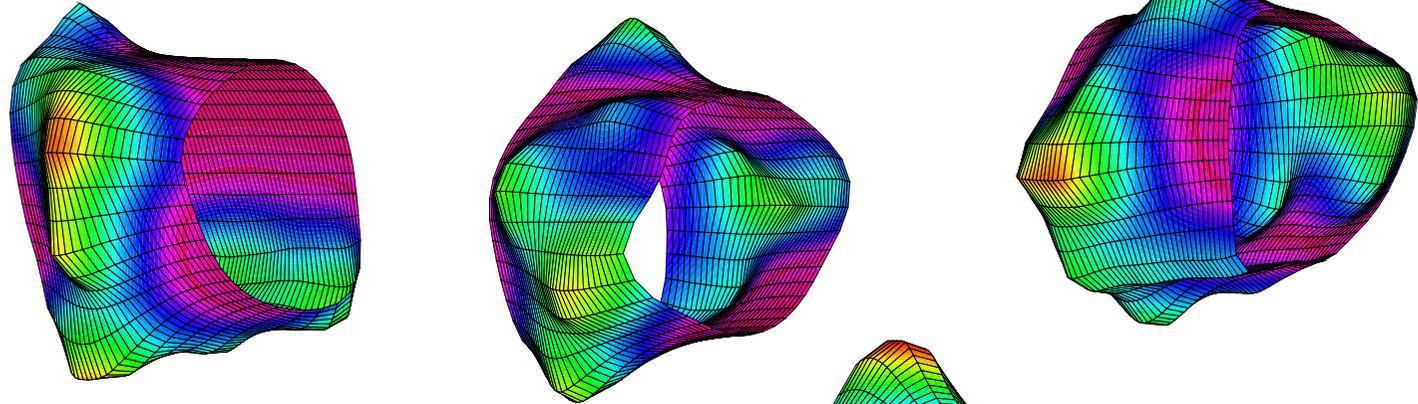
Trainor

→ central

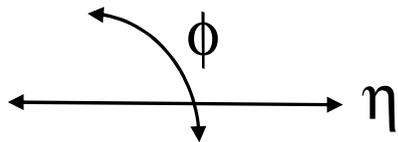
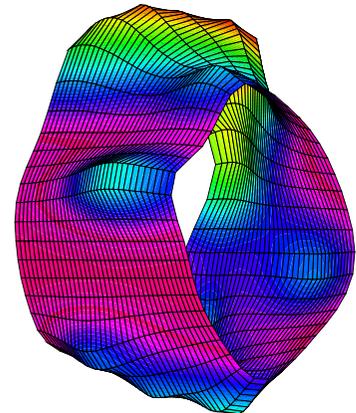
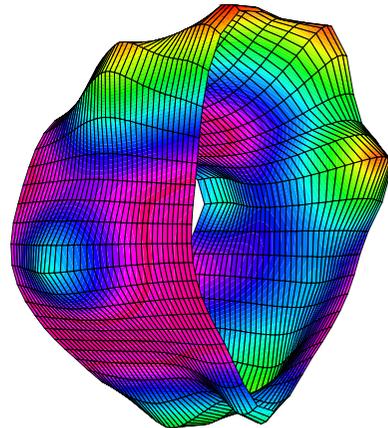
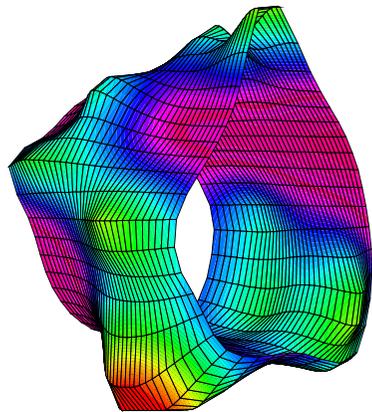
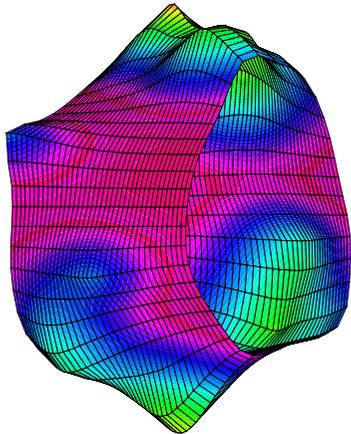
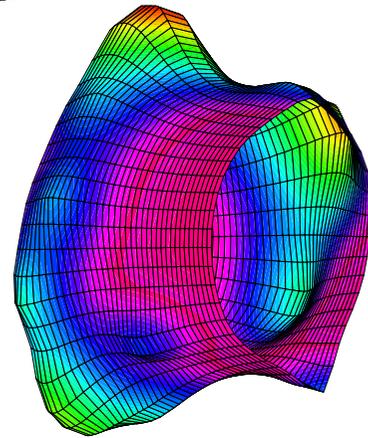


one bang

Event-wise Minijets



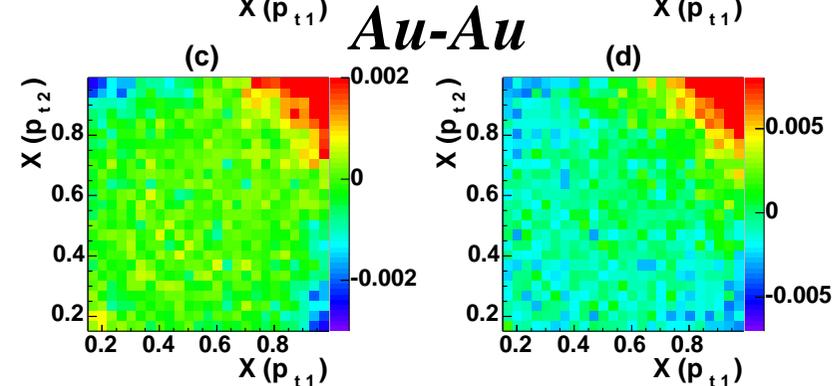
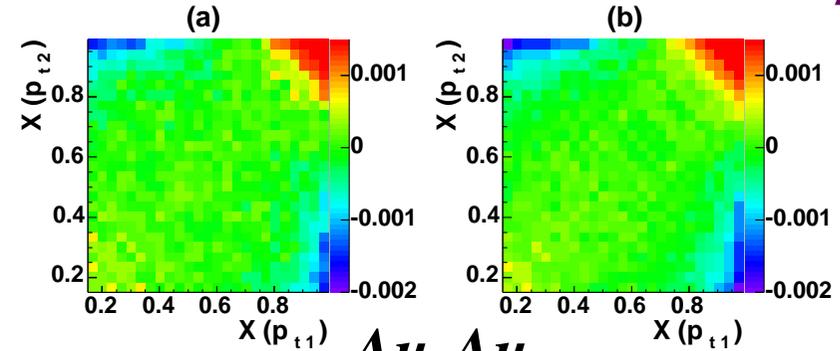
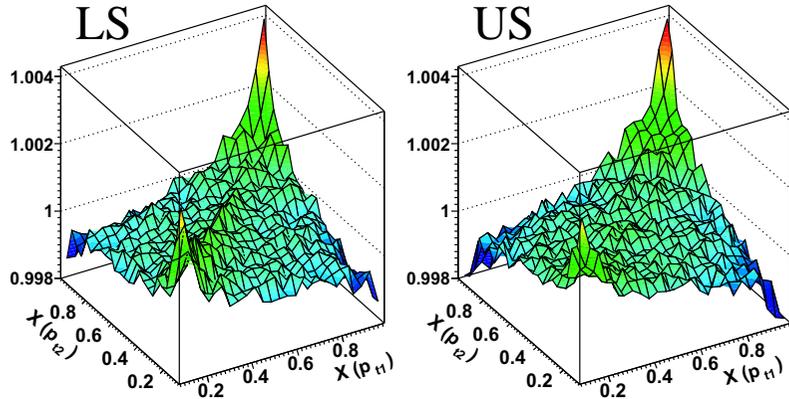
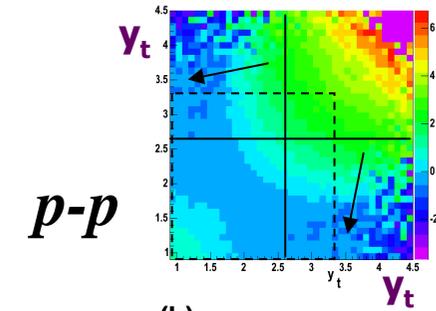
many Au-Au collisions



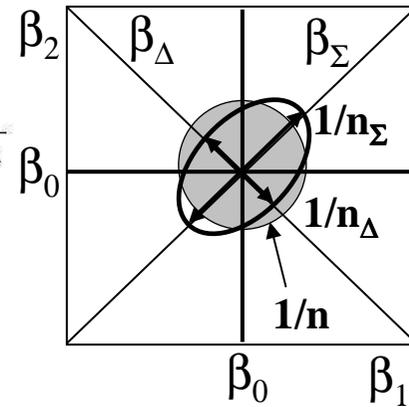
A. Ishihara
Lévy saddle

Au-Au Transverse CI

130 GeV Au-Au

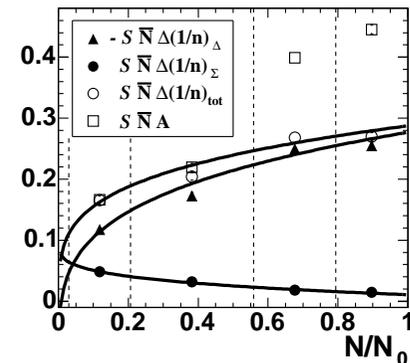
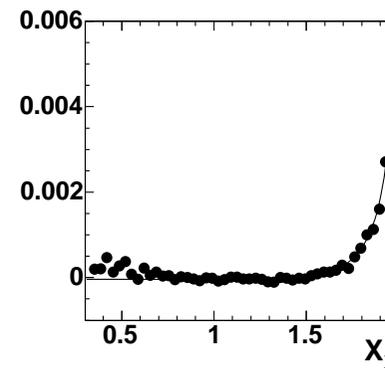


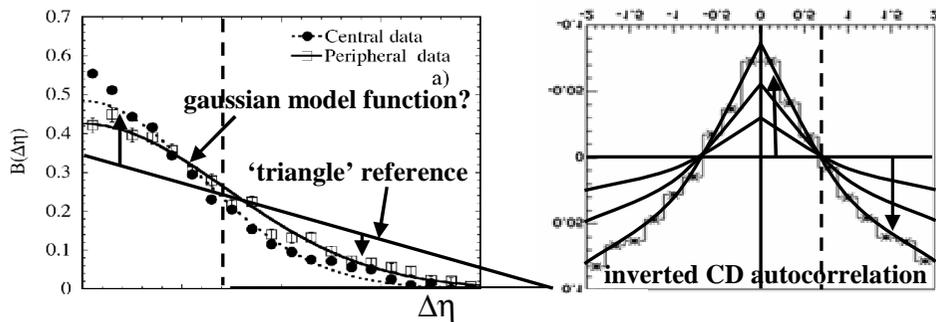
$$\frac{\left[1 + \frac{m_{t,\Sigma}}{2nT_0}\right]^{2n} \cdot \left[1 - \left(\frac{m_{t,\Delta}}{2nT_0 + m_{t,\Sigma}}\right)^n\right]}{\left[1 + \frac{m_{t,\Sigma}}{2n_\Sigma T_0}\right]^{2n_\Sigma} \cdot \left[1 - \left(\frac{m_{t,\Delta}}{2n_\Sigma T_0 + m_{t,\Sigma}}\right)^{n_\Delta}\right]}$$



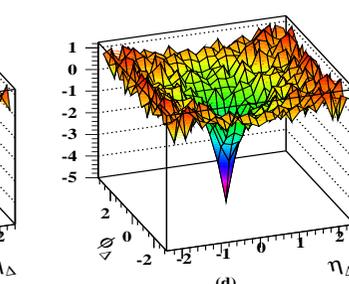
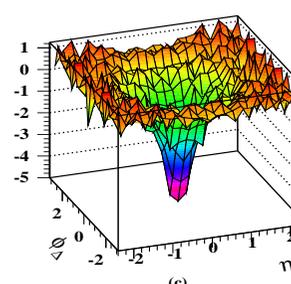
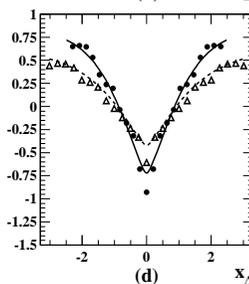
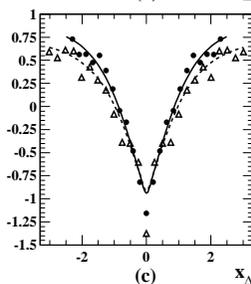
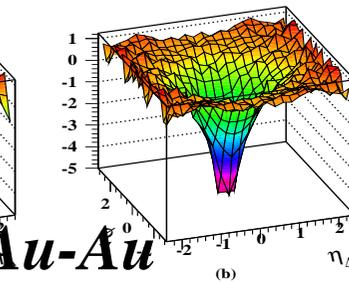
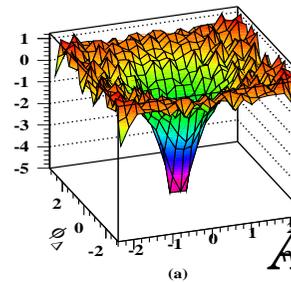
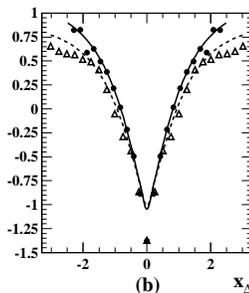
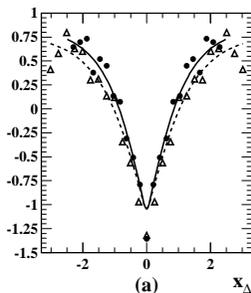
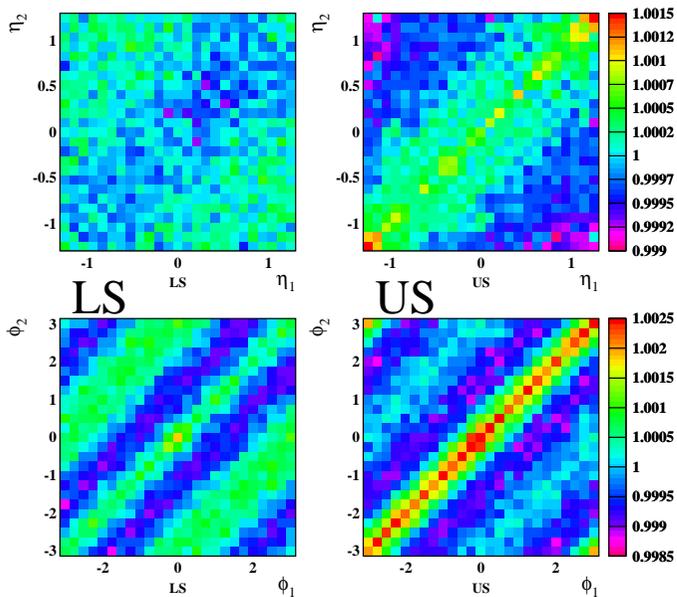
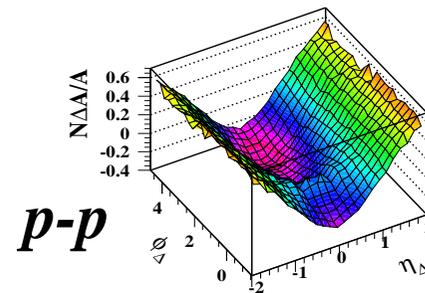
model: ratio of 2D Lévy's

- Curvatures determine exponents
- Exponents measure T/v fluctuations
- Minijet dissipation in bulk medium



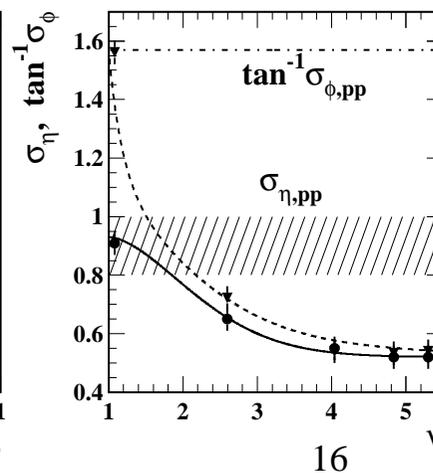
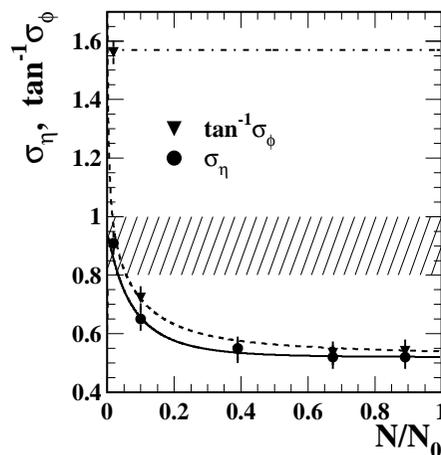


Au-Au Axial CD 130 GeV

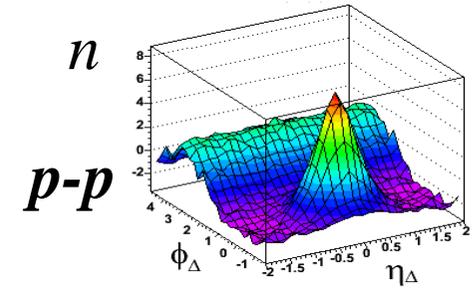
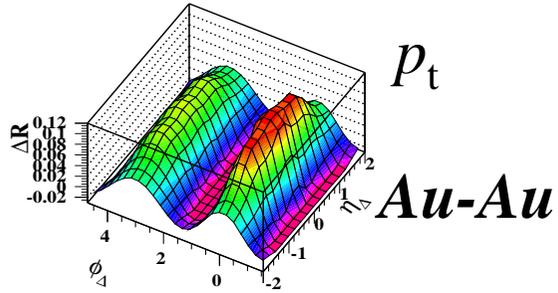


STAR preliminary

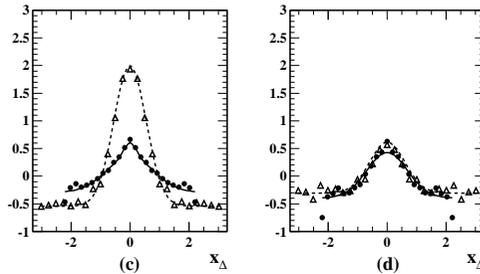
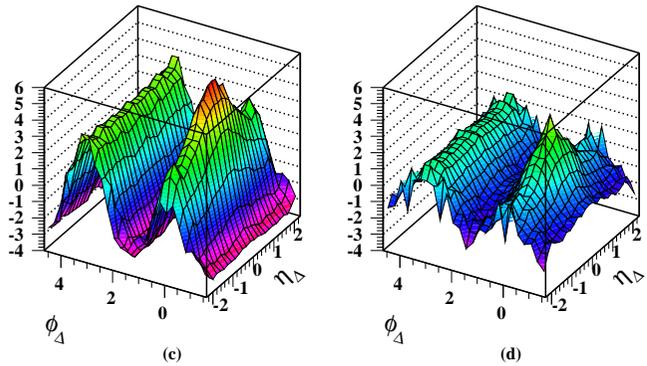
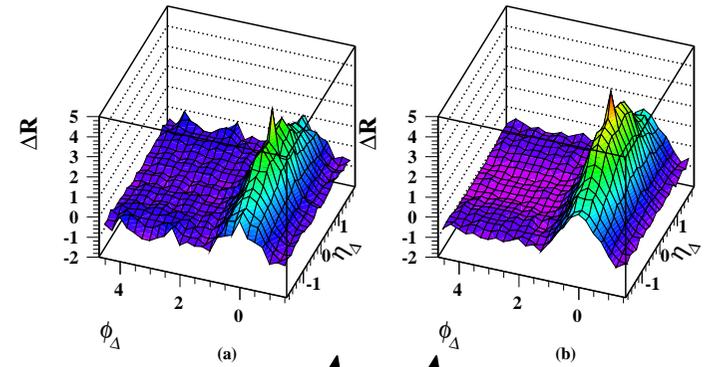
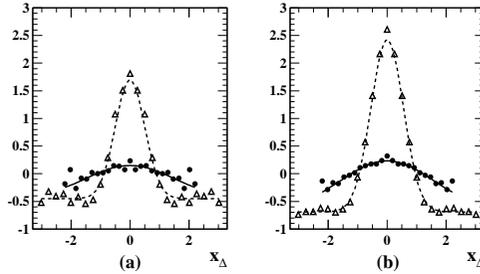
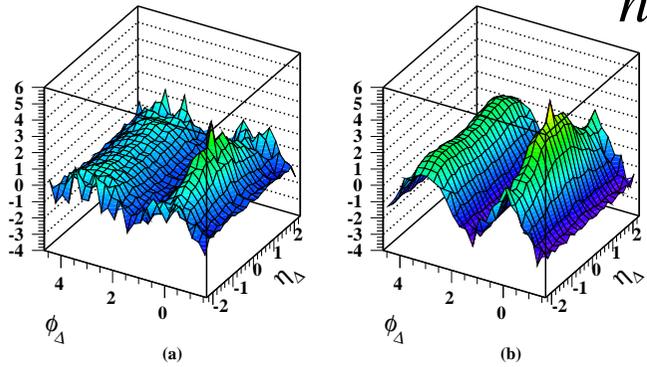
- Net-charge autocorrelation
- Hadronization geometry
- Transition from 1D to 2D
- Transition more peripheral



Au-Au Axial CI



130 GeV Au-Au

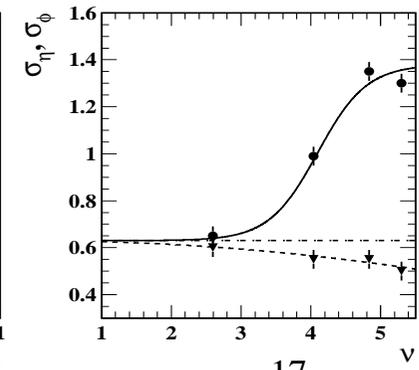
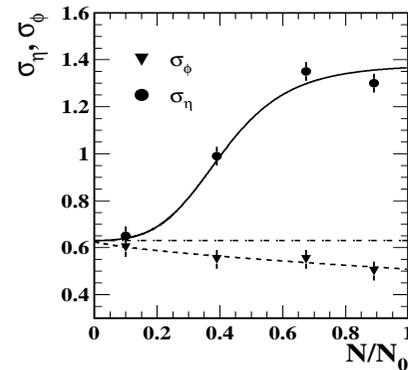


STAR preliminary

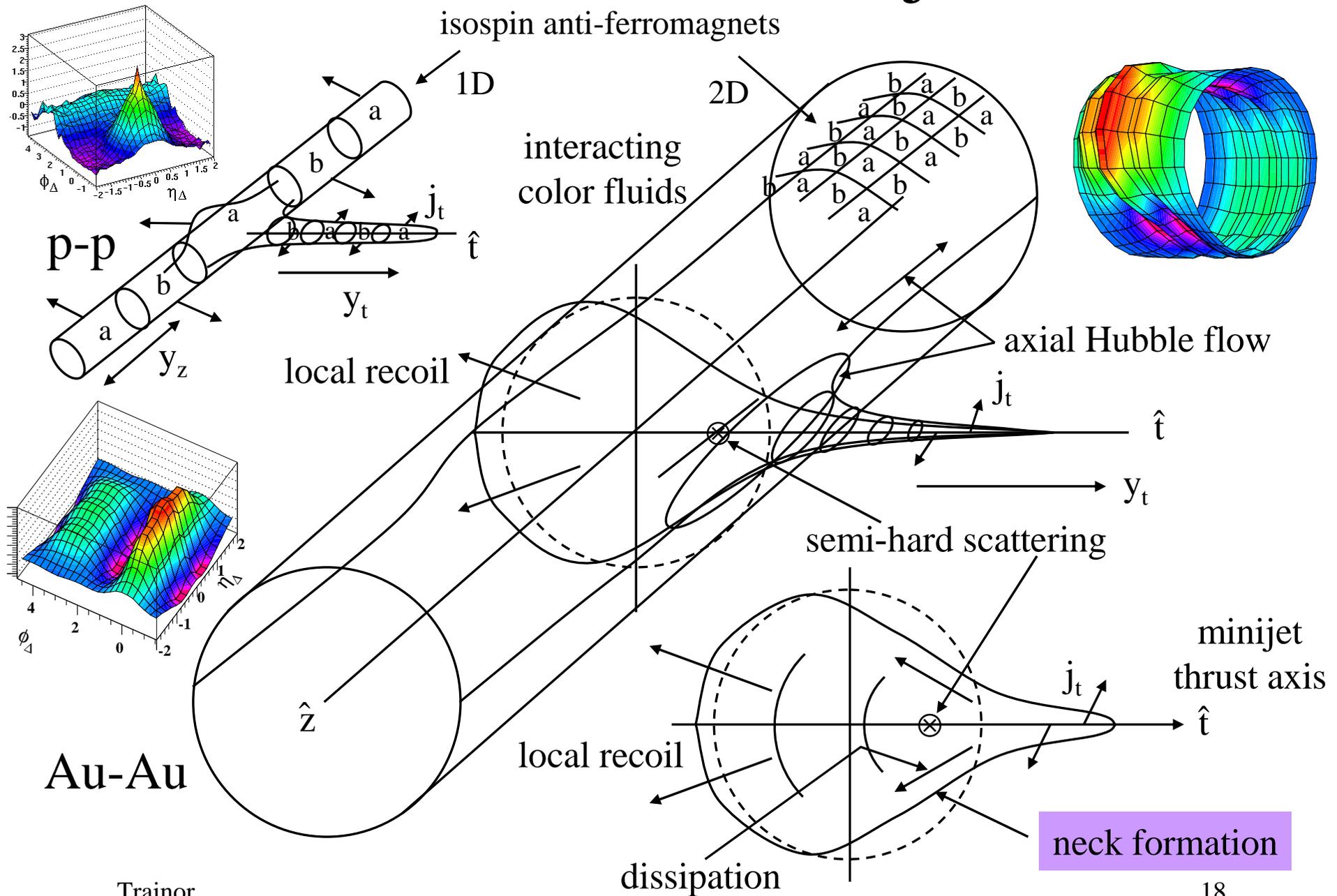
A. Ishihara

- Minijets deformed on (η, ϕ)
- Strong coupling to *axially-expanding* bulk medium
- Transition more central

Trainor



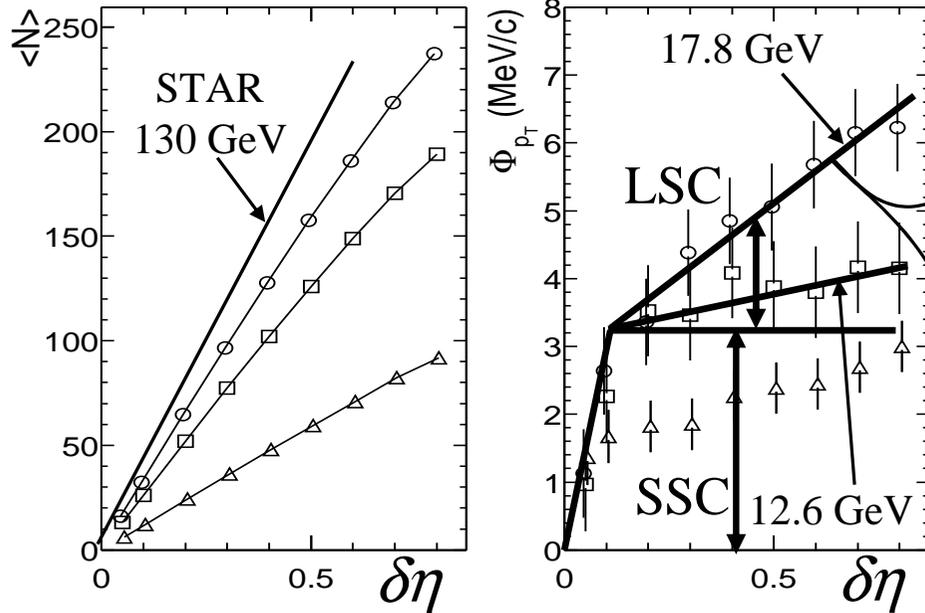
In-medium Au-Au Minijet Model



Energy Dependence – SPS & RHIC

fluctuations autocorrelation

SPS 17.8, 12.6 GeV 0-20% central



$$\delta\phi \rightarrow 2\pi$$

$$\Phi_{p_i} \approx \Delta\sigma_{p_i:n}$$

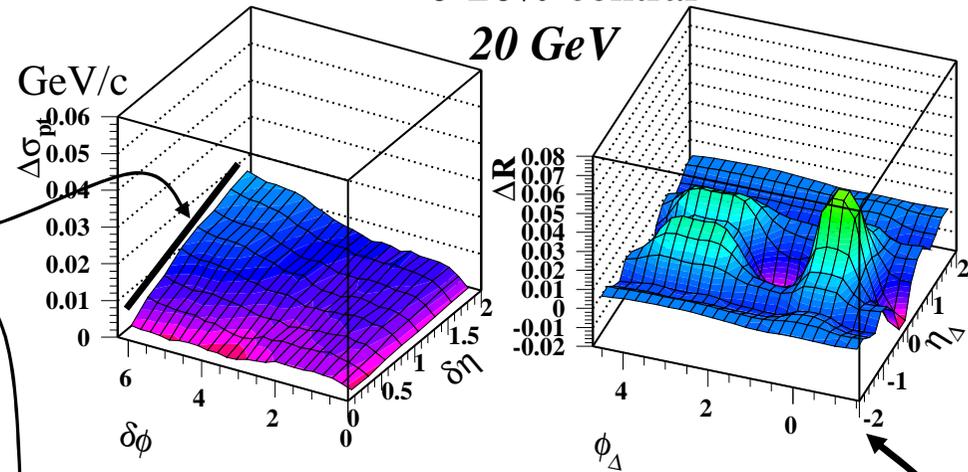
CERES Fig. 2 nucl-ex/0305002

dramatic increase of correlation structure with \sqrt{s}

Q.J. Liu/D.J. Prindle

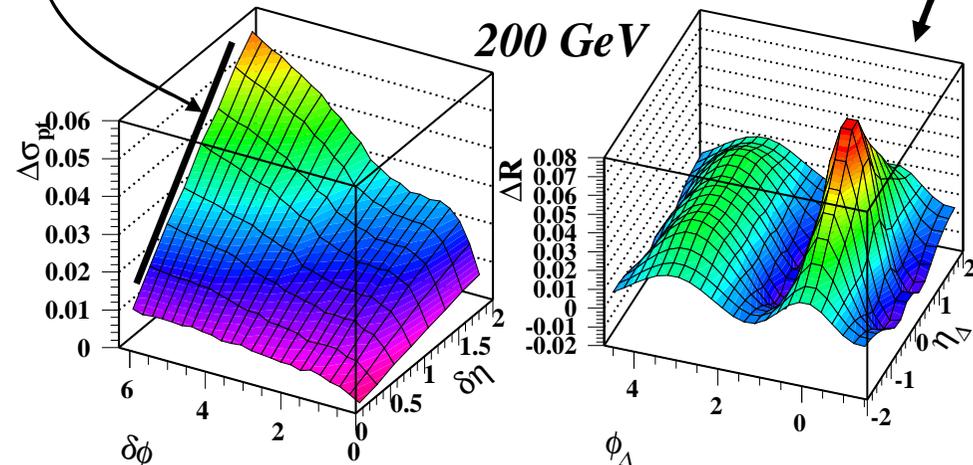
Trainor

0-20% central

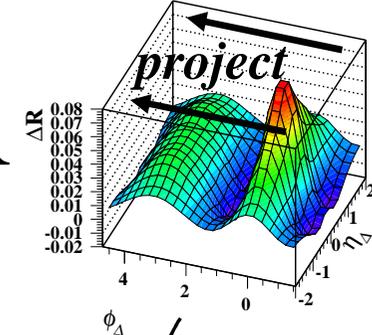
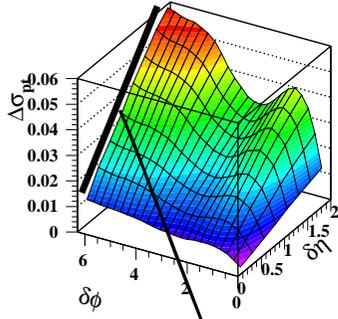


same detector and analysis method

STAR preliminary 0-5% central



Comparisons of $\Delta\sigma_{pt}$, ΔR

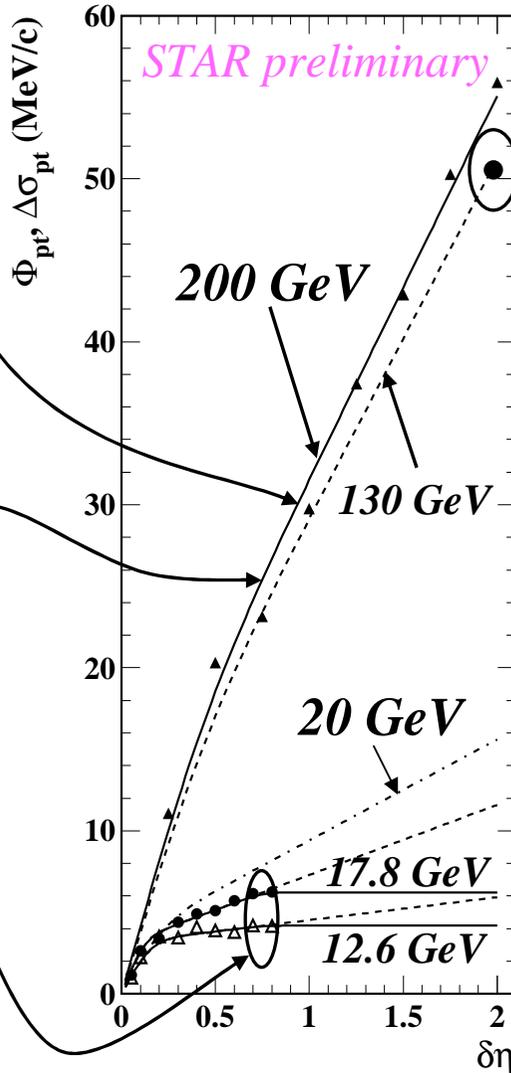


fluctuations

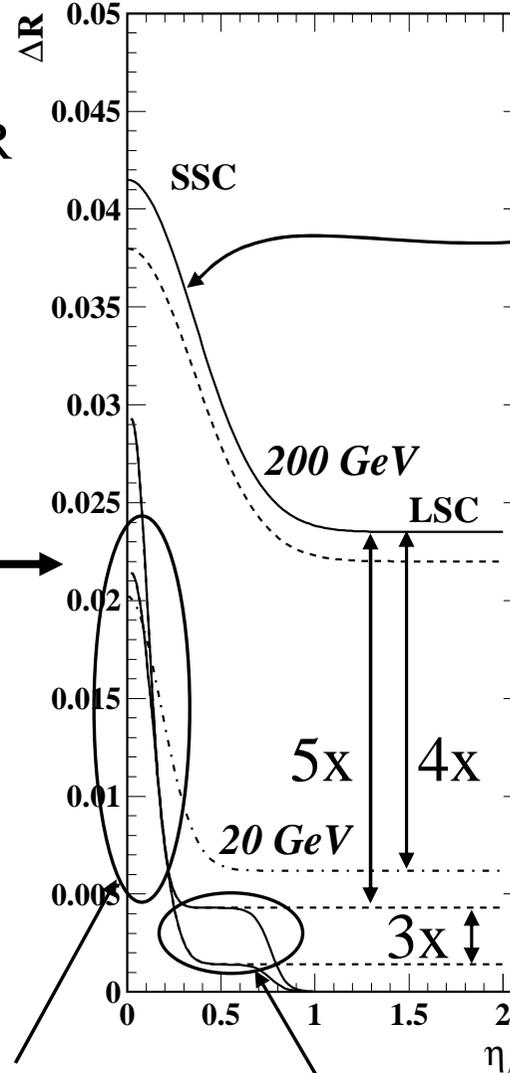
autocorrelations

$\delta\phi \rightarrow 2\pi$

integral
of ΔR in
right panel



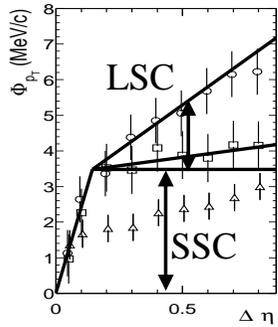
STAR
PRL



integrate
over ϕ_Δ

LSC: proper
basis for
RHIC/SPS
comparison

LSC: *exact*
description
for global
T fluctuations



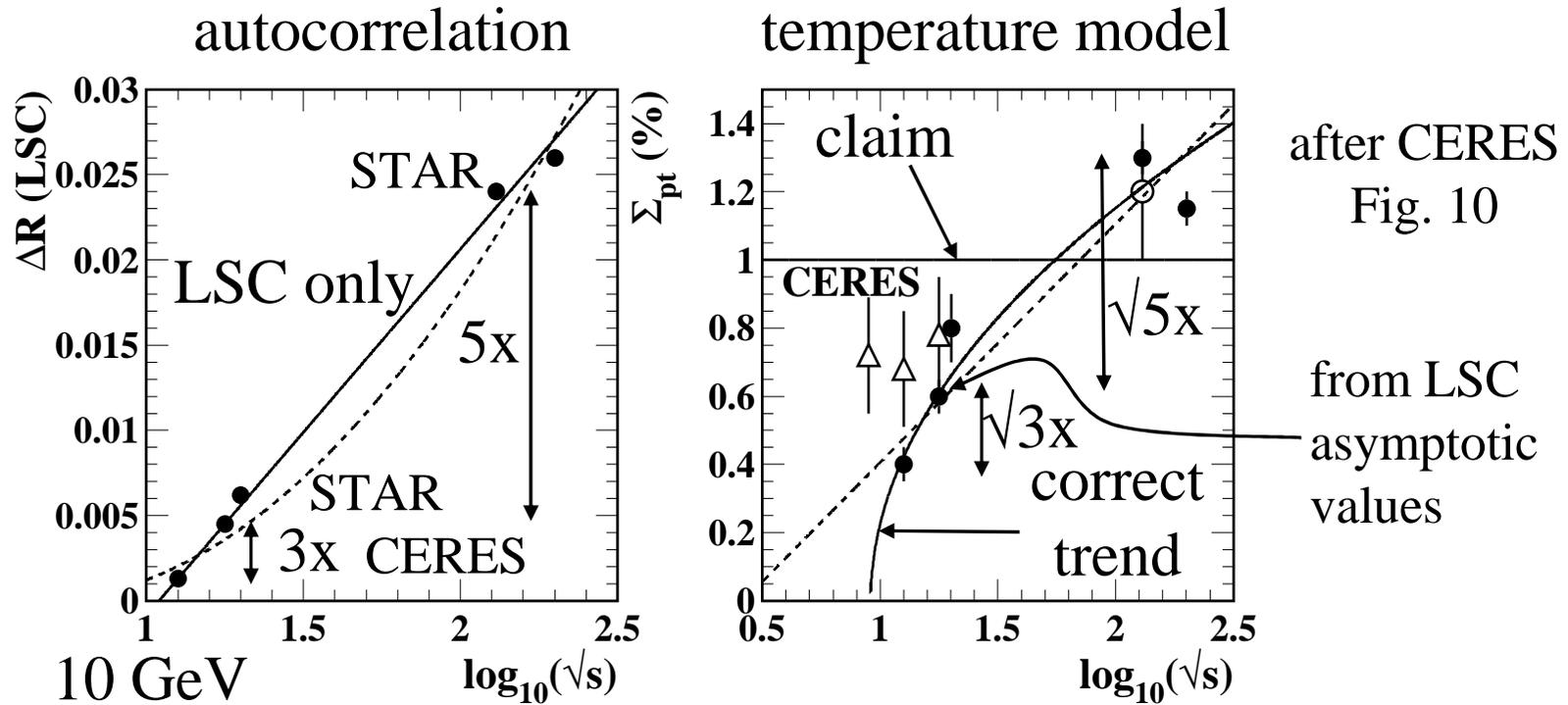
CERES

Trainor

soft physics

incipient hard scattering

\sqrt{s} Dependence of LSC



Dramatic changes with \sqrt{s}_{NN}

Hard-scattering threshold at 10 GeV?

Summary

- Correlations and fluctuations: powerful new techniques
- Formal connection to cosmic microwave analysis
- New STAR results:
 - Minijet gaussian on y_t in p-p collisions
 - Minijet correlations on (η, ϕ) in p-p collisions
 - Minijet distortions on (η, ϕ) in Au-Au collisions
 - Dissipative bulk medium in Au-Au collisions
 - 2D isospin antiferromagnet in Au-Au collisions
- Bulk color-medium properties in HI collisions
- Strong \sqrt{s} dependence of p_t fluctuations/correlations